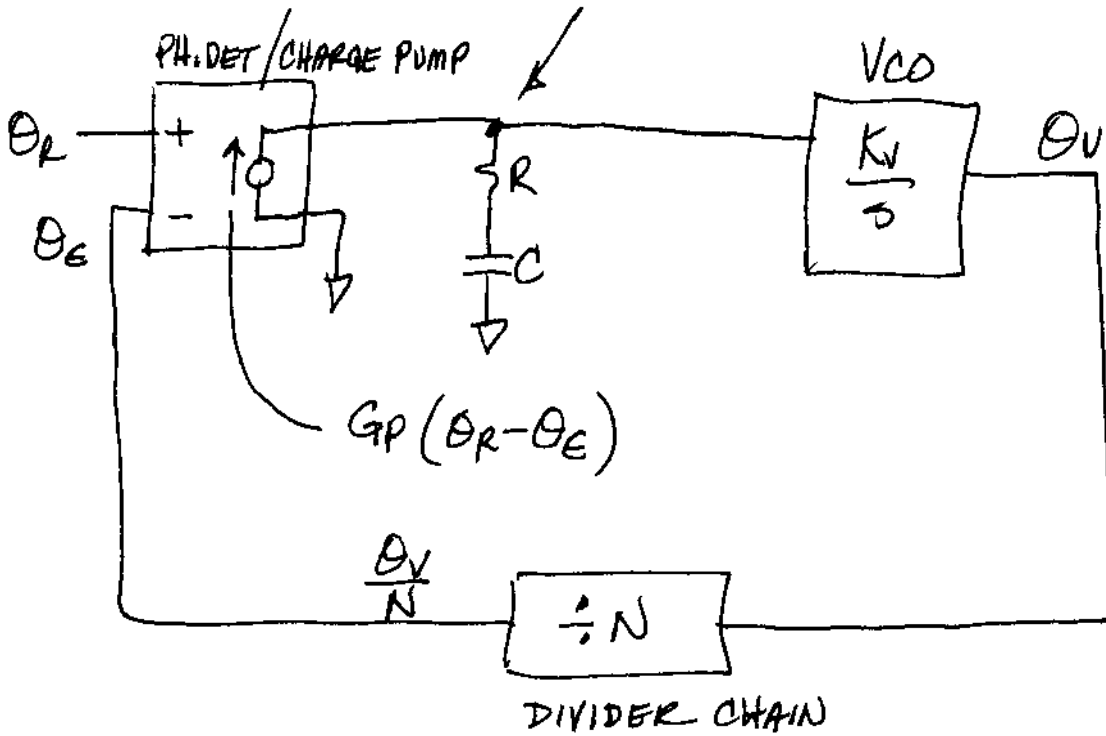


$$G_P(\theta_R - \theta_E) \left(R + \frac{1}{Cs} \right)$$



J. THOMPSON
08/02/2003

$$\theta_V = \frac{K_V}{s} G_P (\theta_R - \theta_E) \left(R + \frac{1}{Cs} \right)$$

$$\theta_V = \frac{K_V}{s} G_P \left(\theta_R - \frac{\theta_V}{N} \right) \left(\frac{RCs + 1}{Cs} \right)$$

$$\theta_V \left[1 + \frac{K_V G_P}{N C s^2} (RCs + 1) \right] = \theta_R \frac{K_V G_P (RCs + 1)}{C s^2}$$

$$\theta_V \left[N C s^2 + K_V G_P (RCs + 1) \right] = \theta_R \cdot N K_V G_P (RCs + 1)$$

$$\frac{\theta_V}{\theta_R} = \frac{N K_V G_P (RCs + 1)}{(N C s^2 + K_V G_P RCs + K_V G_P)}$$

$$\frac{\theta_V}{\theta_R} = \frac{\frac{K_V G_P}{C} (RCs + 1)}{\left(s^2 + \frac{K_V G_P R}{N} s + \frac{K_V G_P}{N C} \right)}$$

$$\omega_n^2 = \frac{K_V G_P}{N C}$$

$$2\zeta \omega_n = \frac{K_V G_P R}{N}$$